

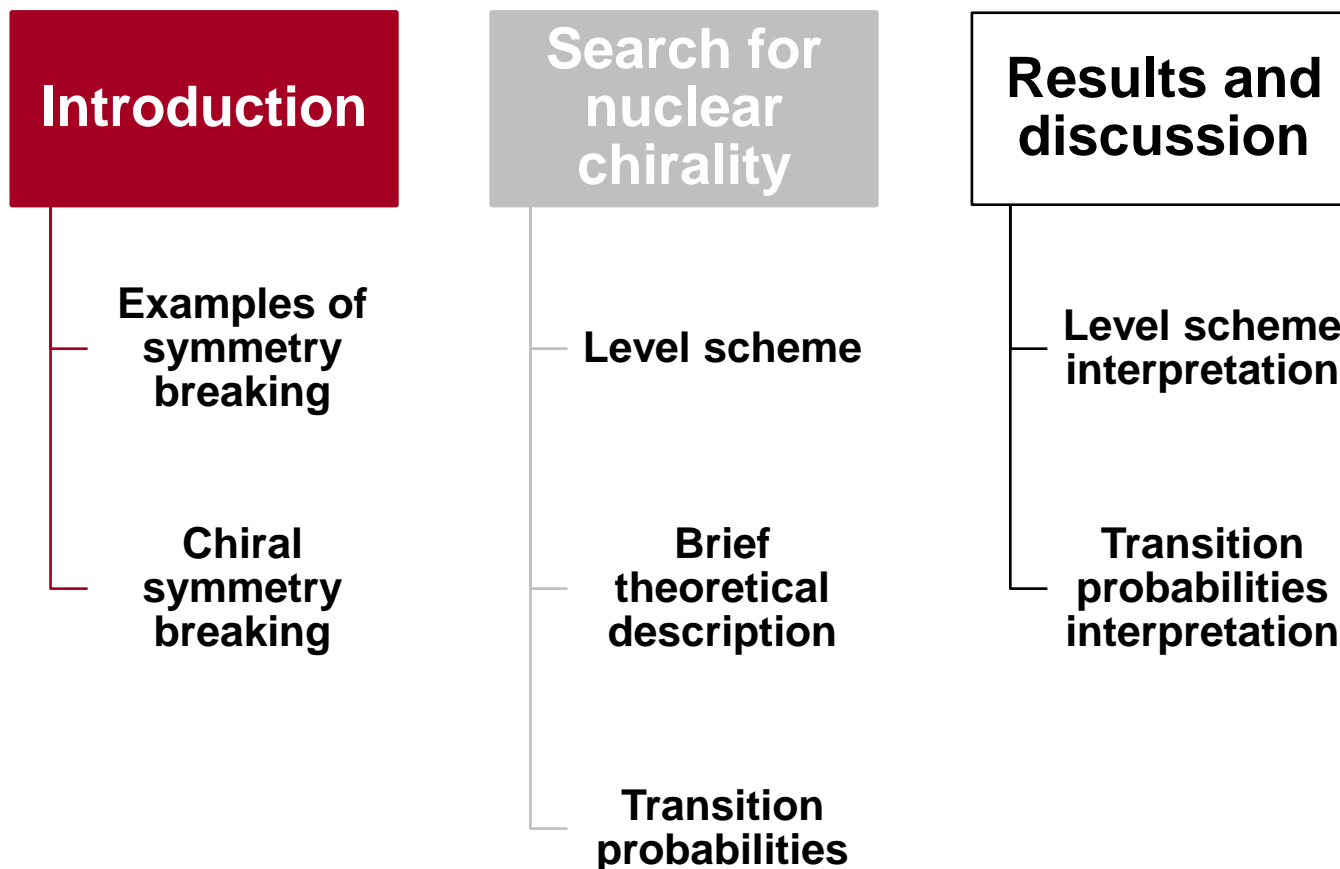


## Quest for the chiral symmetry breaking in atomic nuclei

Ernest Grodner

XXX Mazurian Lakes Conference on Physics

08.09.2007



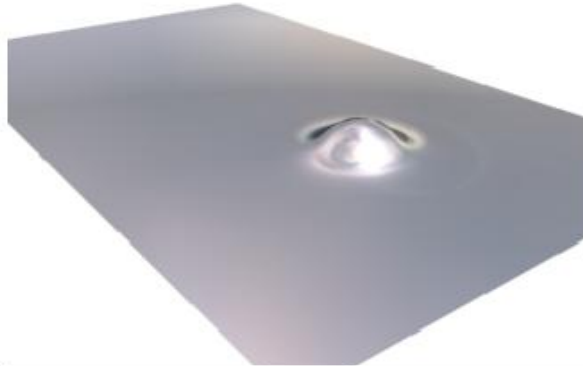
# Breaking of the symmetry



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BROKEN SYMMETRY

SYMMETRY CONSERVED



Defined position (localized)

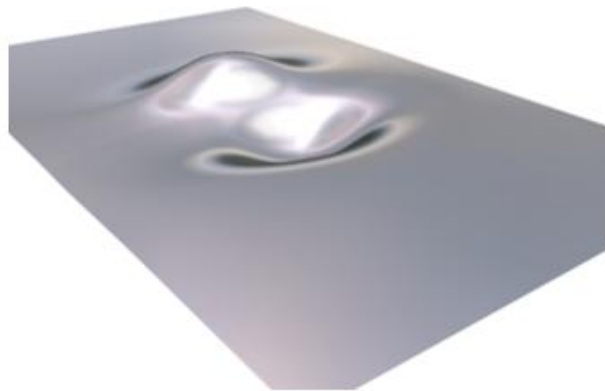


Defined momentum

Translational  
symmetry



Defined orientation (localized)



Defined angular momentum

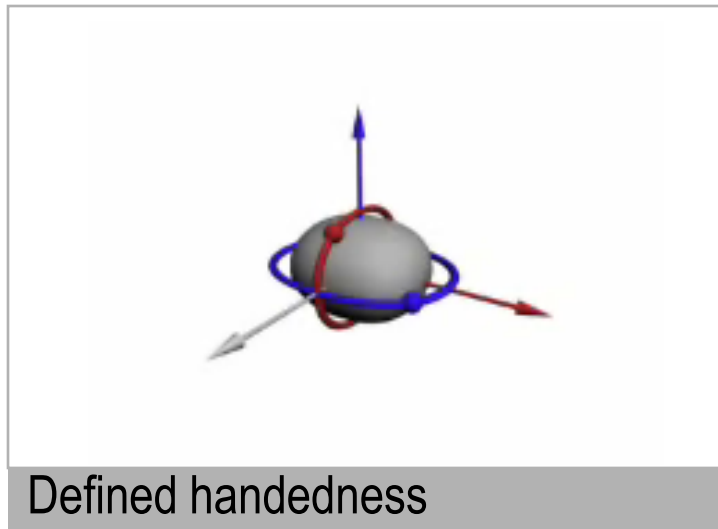
Rotational symmetry

# Breaking of the chiral symmetry

## LOCALIZATION IN THE HANDEDNESS PARAMETER



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### Chiral symmetry

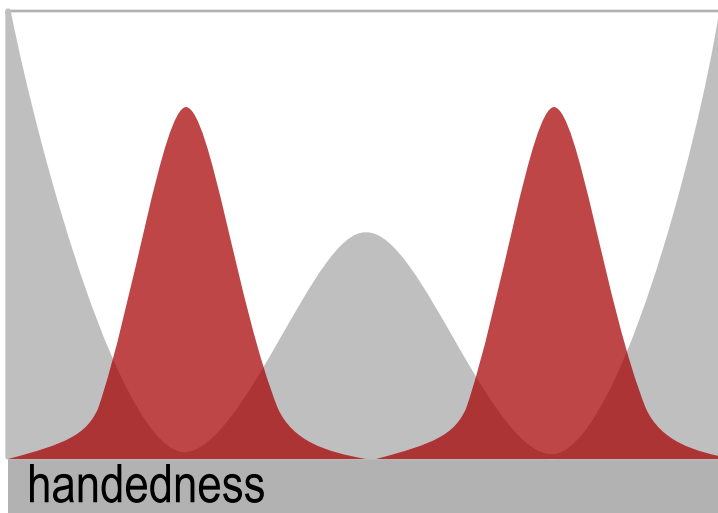
Three mutually perpendicular angular momenta vectors forming the reference frame with defined handedness

### Chiral symmetry operator $R_Y T$

Changes left-handed state to right-handed one and vice versa

$$R_Y T |L\rangle = |R\rangle$$

$$R_Y T |R\rangle = |L\rangle$$



### Localized states

are not observed in the laboratory reference frame

### Experimental observation of handedness

is impossible in laboratory reference frame.

# Breaking of the chiral symmetry

## EXPECTED PROPERTIES IN LAB FRAME

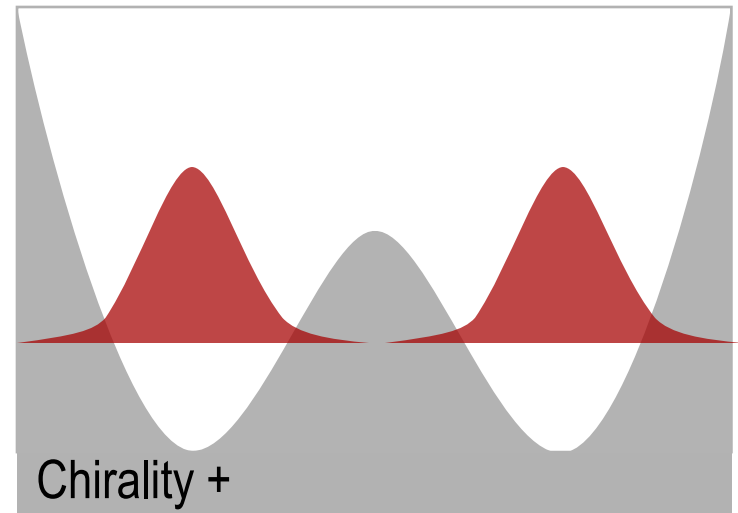


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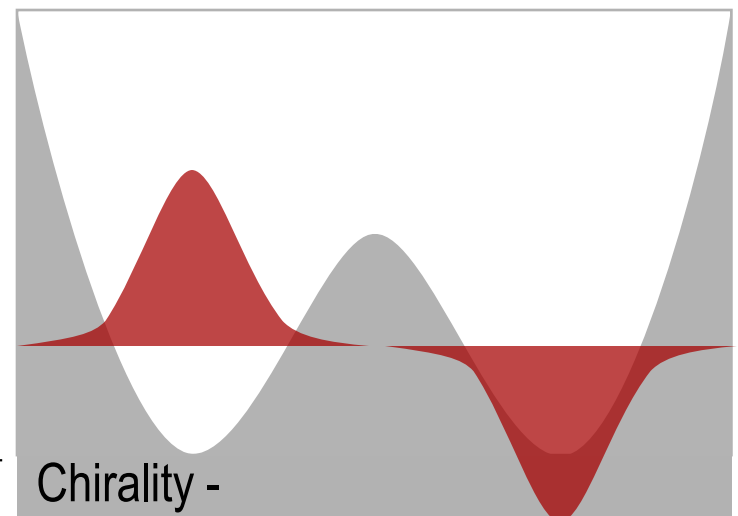
### Two close lying $|+\rangle$ and $|-\rangle$ states

with restored symmetry (defined chirality) and undefined handedness are expected to be observed

$$|+\rangle = \frac{1}{\sqrt{2}} \frac{|L\rangle + |R\rangle}{\sqrt{1+\varepsilon}}$$



$$|-\rangle = \frac{i}{\sqrt{2}} \frac{|L\rangle - |R\rangle}{\sqrt{1-\varepsilon}}$$



# Breaking of the chiral symmetry

## EXPECTED PROPERTIES IN LAB FRAME



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### Chiral partner bands

Two rotational bands with similar energy levels,  
same spins and parity.

### Similar electromagnetic properties

The same transition probabilities between  
corresponding levels

$$A=B$$

$$C=D$$

...

side band

yrast band

$I+4$

$I+4$

$I+3$

$I+3$

$I+2$

$I+2$

$I+1$

$I+1$

$I$

$I$

A

B

C

D

Chiral partner bands

# Breaking of the chiral symmetry

## FIRST OBSERVATION OF THE CHIRAL PARTNER BANDS

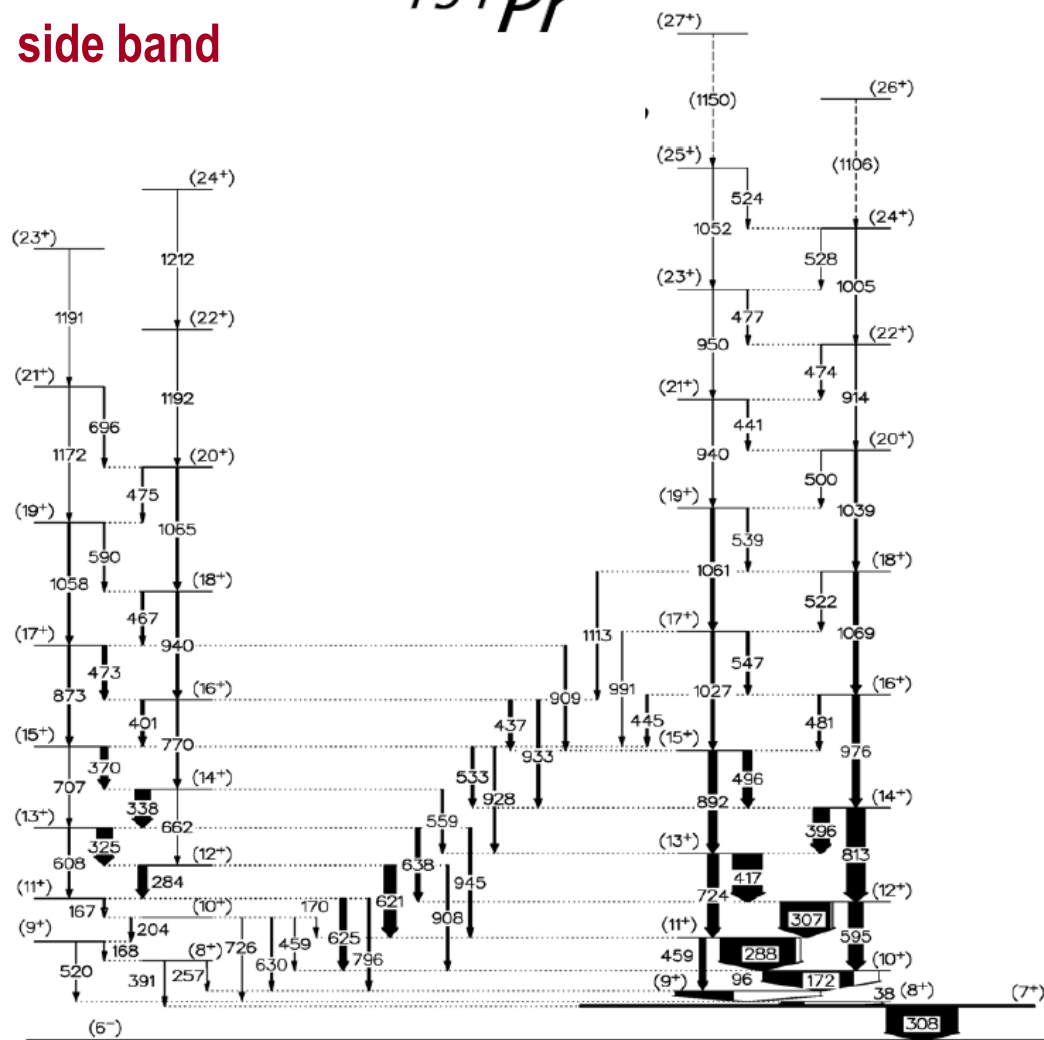


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side band

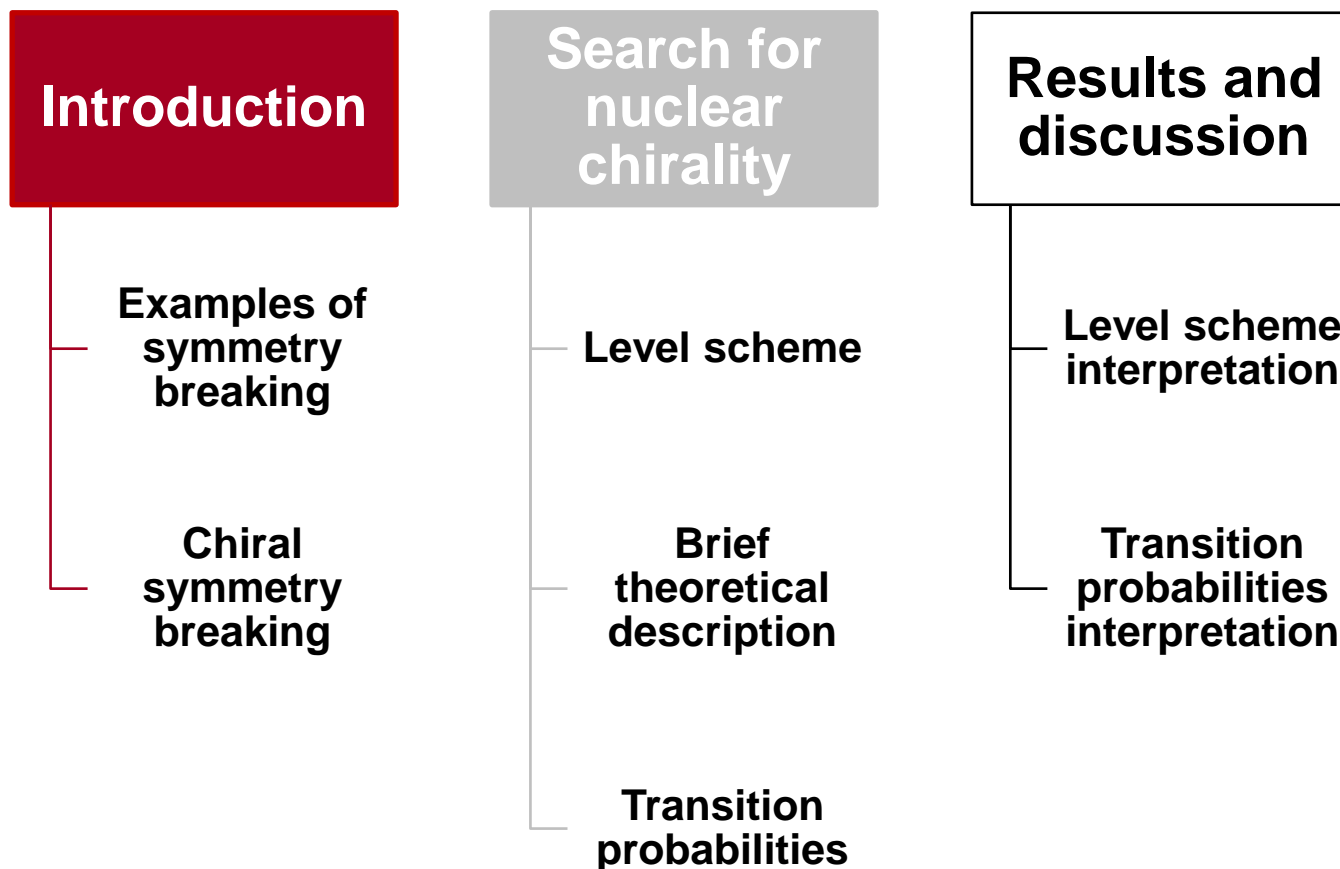
$^{134}\text{Pr}$

yrast band



C.M. Petrache et al.

Nucl. Phys. A597, 106, (1996)





# Breaking of the chiral symmetry

## EXPERIMENTAL PREMISES



PIASKI 2007

**Structure  
of the level scheme**  
two similar rotational bands



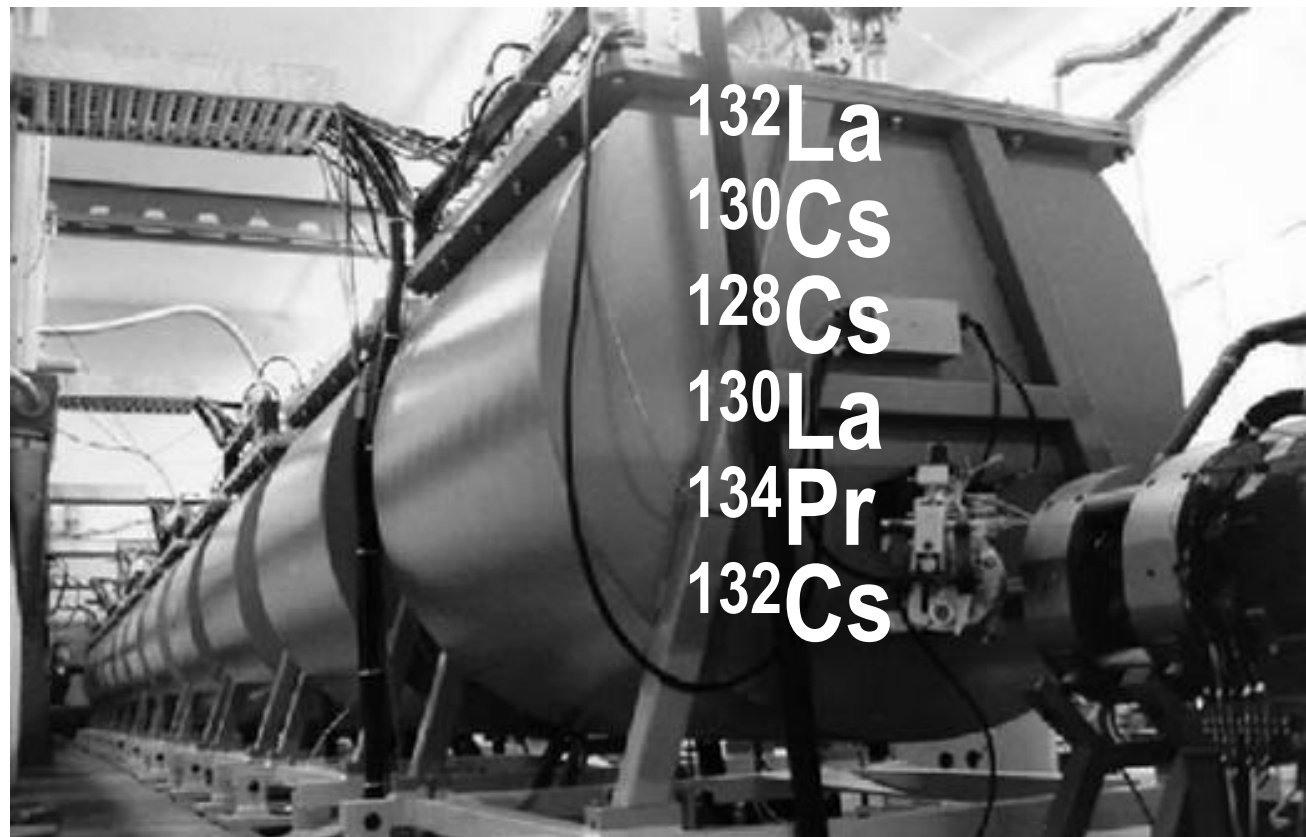
Legnaro

# Breaking of the chiral symmetry

## EXPERIMENTAL PREMISES



PIASKI 2007



**Structure  
of the level scheme**  
two similar rotational bands

Stony Brook

# Breaking of the chiral symmetry

## EXPERIMENTAL PREMISES



PIASKI 2007

### Structure of the level scheme

two similar rotational bands



# Breaking of the chiral symmetry

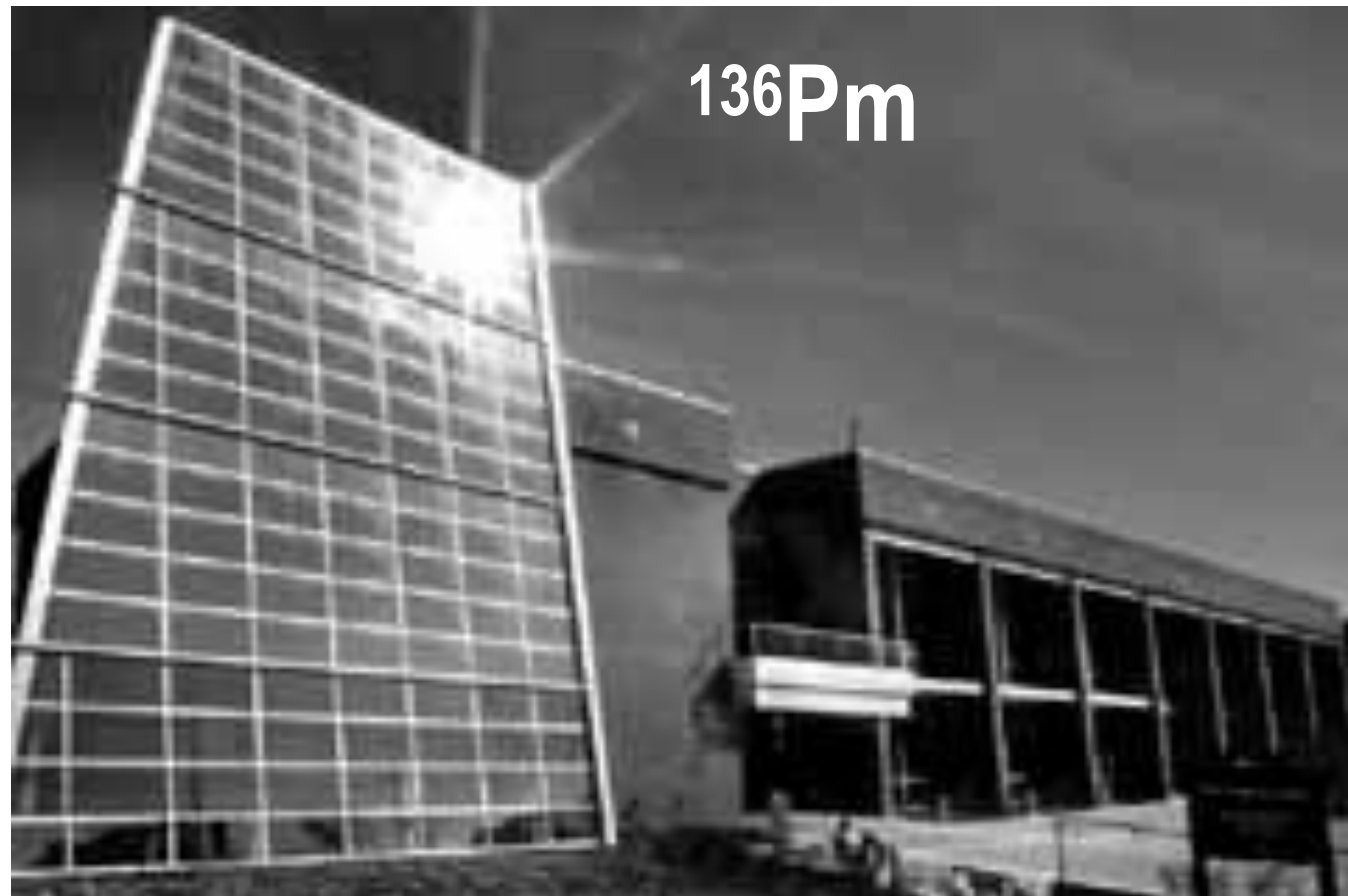
## EXPERIMENTAL PREMISES



PIASKI 2007

**Structure  
of the level scheme**

two similar rotational bands



Tennessee

# Breaking of the chiral symmetry

## EXPERIMENTAL PREMISES



PIASKI 2007

### Structure of the level scheme

two similar rotational bands



Berkeley

# Breaking of the chiral symmetry

## EXPERIMENTAL PREMISES



PIASKI 2007

Warsaw

$^{130}\text{La}$

$^{132}\text{La}$

$^{128}\text{Cs}$

$^{126}\text{Cs}$

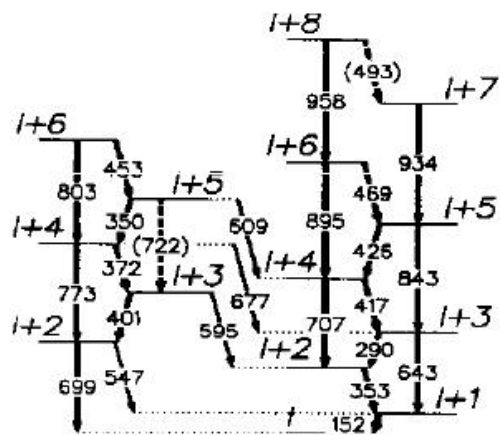
**Structure  
of the level scheme**  
two similar rotational bands

# Breaking of the chiral symmetry

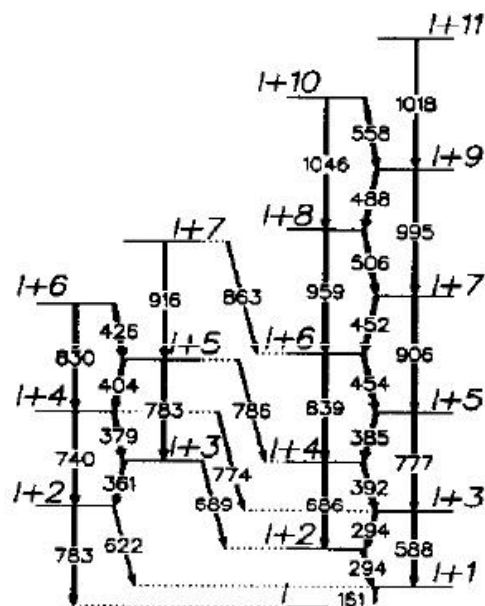
## EXAMPLES OF THE PARTNER BANDS



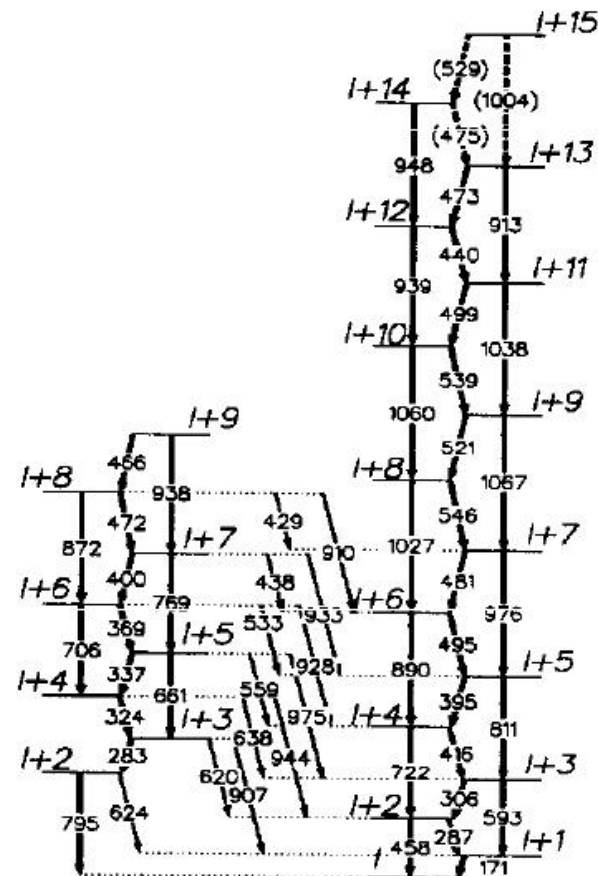
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$^{130}\text{Cs}$



$^{132}\text{La}$



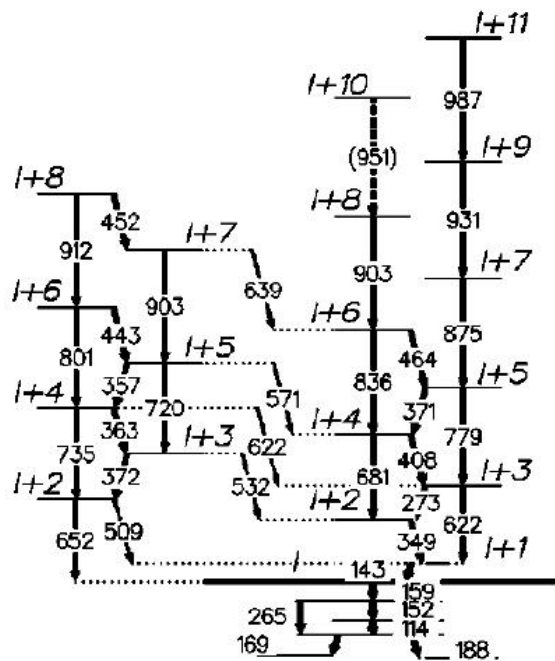
$^{134}\text{Pr}$

# Breaking of the chiral symmetry

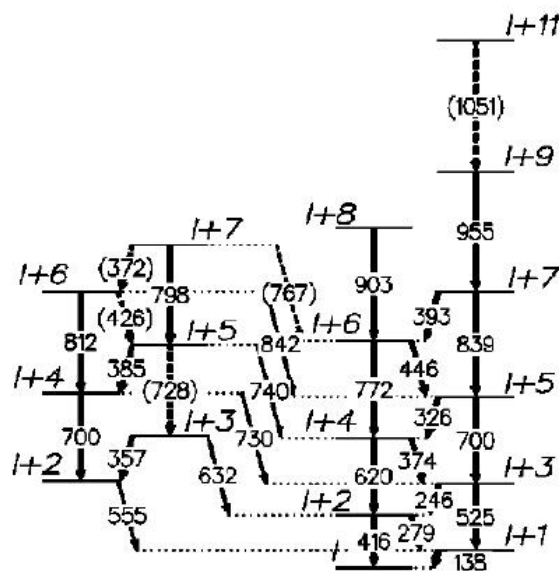
## EXAMPLES OF THE PARTNER BANDS



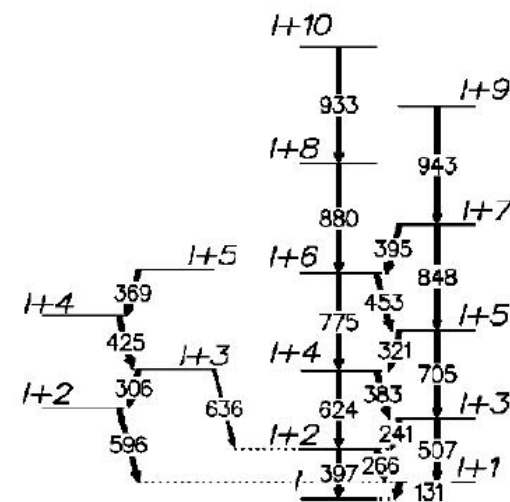
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$^{128}_{55}\text{Cs}_{73}$



$^{130}_{57}\text{La}_{73}$



$^{132}_{59}\text{Pr}_{73}$



# Breaking of the chiral symmetry

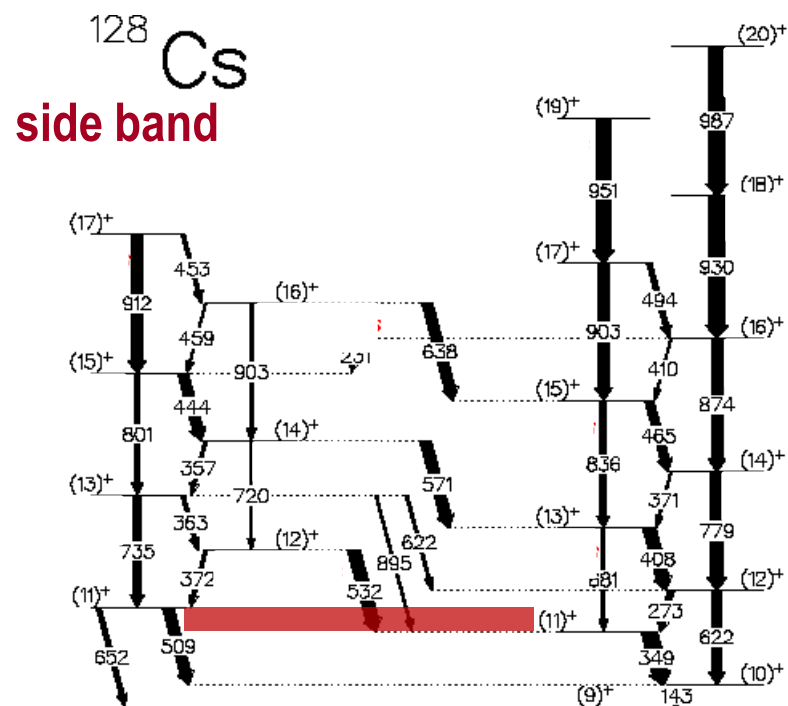
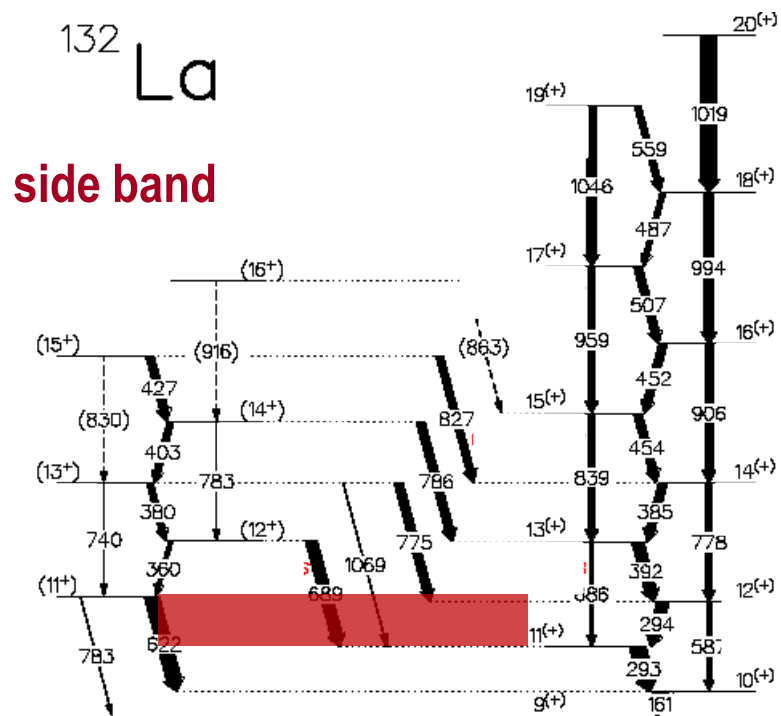
## EXAMPLES OF THE PARTNER BANDS



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yrast band

yrast band



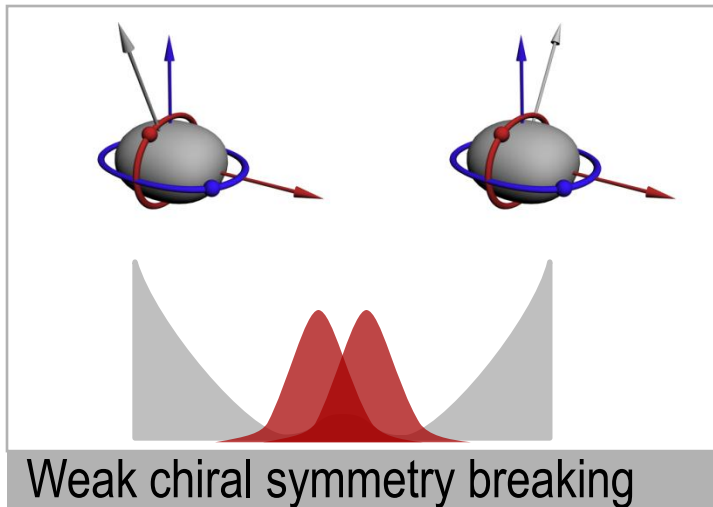
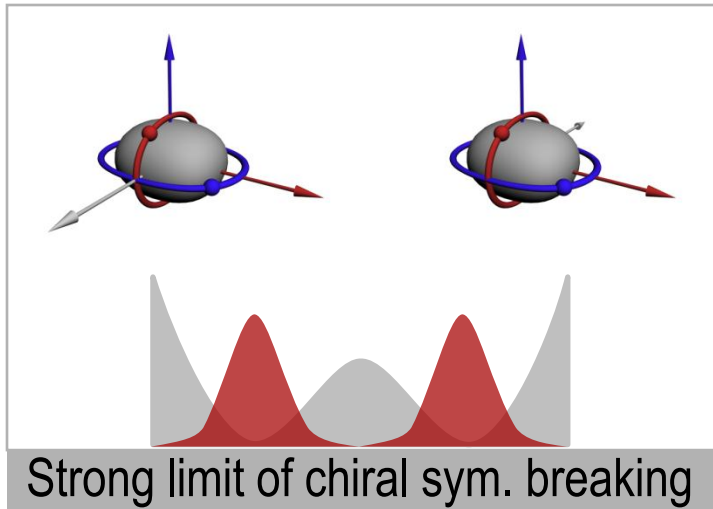
# Chiral symmetry breaking limits

## DIFFERENCES OBSERVED IN LAB SYSTEM



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**Chiral partner bands can differ in each element**  
depending on the limit of the symmetry breaking



Strong symmetry breaking limit

Weak symmetry breaking

$$\frac{|+4^\pi}{\quad} \quad \frac{|+4^\pi}{\quad}$$

$$\frac{|+4^\pi}{\quad} \quad \frac{|+4^\pi}{\quad}$$

$$\frac{|+3^\pi}{\quad} \quad \frac{|+3^\pi}{\quad}$$

$$\frac{|+3^\pi}{\quad} \quad \frac{|+3^\pi}{\quad}$$

$$\frac{|+2^\pi}{\quad} \quad \frac{|+2^\pi}{\quad}$$

$$\frac{|+2^\pi}{\quad} \quad \frac{|+2^\pi}{\quad}$$

$$\frac{|+1^\pi}{\quad} \quad \frac{|+1^\pi}{\quad}$$

$$\frac{|+1^\pi}{\quad} \quad \frac{|+1^\pi}{\quad}$$

$$\frac{|\pi}{\quad} \quad \frac{|\pi}{\quad}$$

$$\frac{|\pi}{\quad} \quad \frac{|\pi}{\quad}$$

# Brief theoretical description

## ENERGIES AND TRANSITION PROBABILITIES



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$$[R_y T, H] = 0$$

$$\begin{aligned} |+\rangle &= \frac{1}{\sqrt{2}} \frac{|L\rangle + |R\rangle}{\sqrt{1+\varepsilon}} & \langle +|H|+\rangle &= \frac{E_0 + \Delta E}{1+\varepsilon} \\ |-\rangle &= \frac{i}{\sqrt{2}} \frac{|L\rangle - |R\rangle}{\sqrt{1-\varepsilon}} & \langle -|H|-\rangle &= \frac{E_0 - \Delta E}{1-\varepsilon} \end{aligned}$$

Doubling of the energy for LAB states

### Parameters

|                       |   |
|-----------------------|---|
| Overlap               | $\varepsilon = \text{Re}\langle L R\rangle$ |
| Tunneling effect      | $\Delta E = \text{Re}\langle L H R\rangle$  |
| Diagonal mat. element | $E_0 = \text{Re}\langle L H L\rangle$       |

$$[R_y T, B(\sigma\lambda)] = 0 \quad \sigma\lambda = M1, E2, M3, E4, \dots$$

$$\begin{aligned} \langle +|B(\sigma\lambda)|+\rangle &= \frac{B_0 + \Delta B}{1+\varepsilon} \\ \langle -|B(\sigma\lambda)|-\rangle &= \frac{B_0 - \Delta B}{1-\varepsilon} \end{aligned}$$

Doubling of the transition probabilities

### Parameters

|                       |   |
|-----------------------|---|
| Overlap               | $\varepsilon = \text{Re}\langle L R\rangle$ |
| non-diagonal element  | $\Delta B = \text{Re}\langle L B R\rangle$  |
| diagonal mat. element | $B_0 = \text{Re}\langle L B L\rangle$       |



## EXPERIMENTAL SETUP

### Multidetector array OSIRIS II

12 HPGe detectors (currently)

BGO anticompton shields

### Beam

U200P cyclotron

### Nuclear reactions

$^{122}\text{Sn}(^{14}\text{N},4n)^{132}\text{La}$        $E=70$  MeV

$^{122}\text{Sn}(^{10}\text{B},4n)^{128}\text{Cs}$        $E=55$  MeV

### Heavy Ion Laboratory

University of Warsaw



OSIRIS II

# Principles of the lifetime measurement

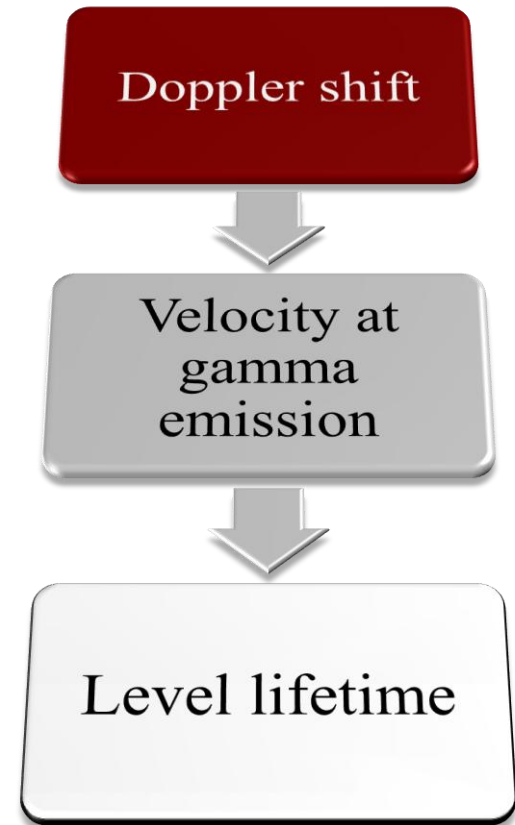
## DOPPLER EFFECT



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**Required**  
good energy resolution  
excellent apparatus lineshape (gaussian and symmetric)

**Required**  
time-velocity correlation for the recoils  
feeding time distribution



# Method of the lifetime measurement

DOPPLER SHIFT ATTENUATION 0.2 – 1.5 ps



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## Doppler effect

$$E = E_0(1 + \beta \cos \theta)$$

## Initial velocity

0.01c

## Gamma emission

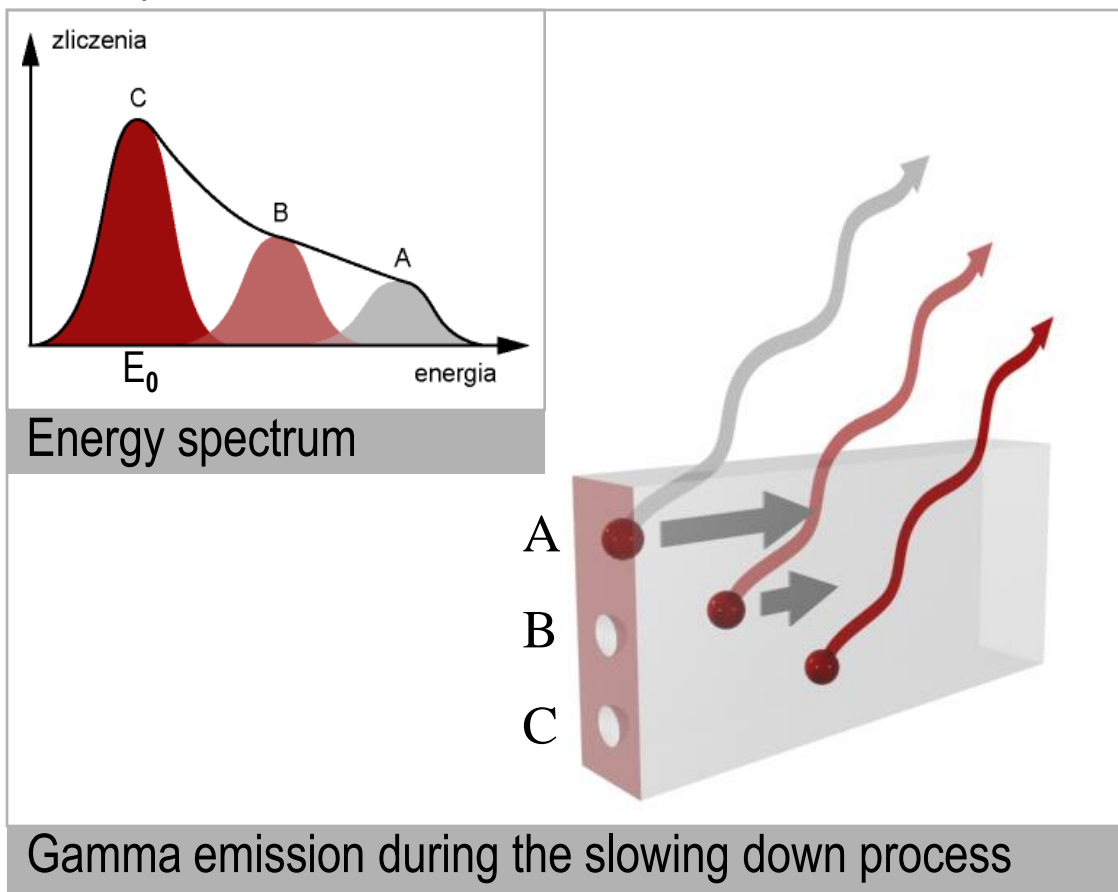
w during the slowing down process in the target

## lifetime

Determined from the Doppler disturbed gamma lineshape

## Doppler disturbed gamma lineshape

Gamma emission at different velocities of the recoils  
Velocity distribution – lineshape – depends on the lifetime



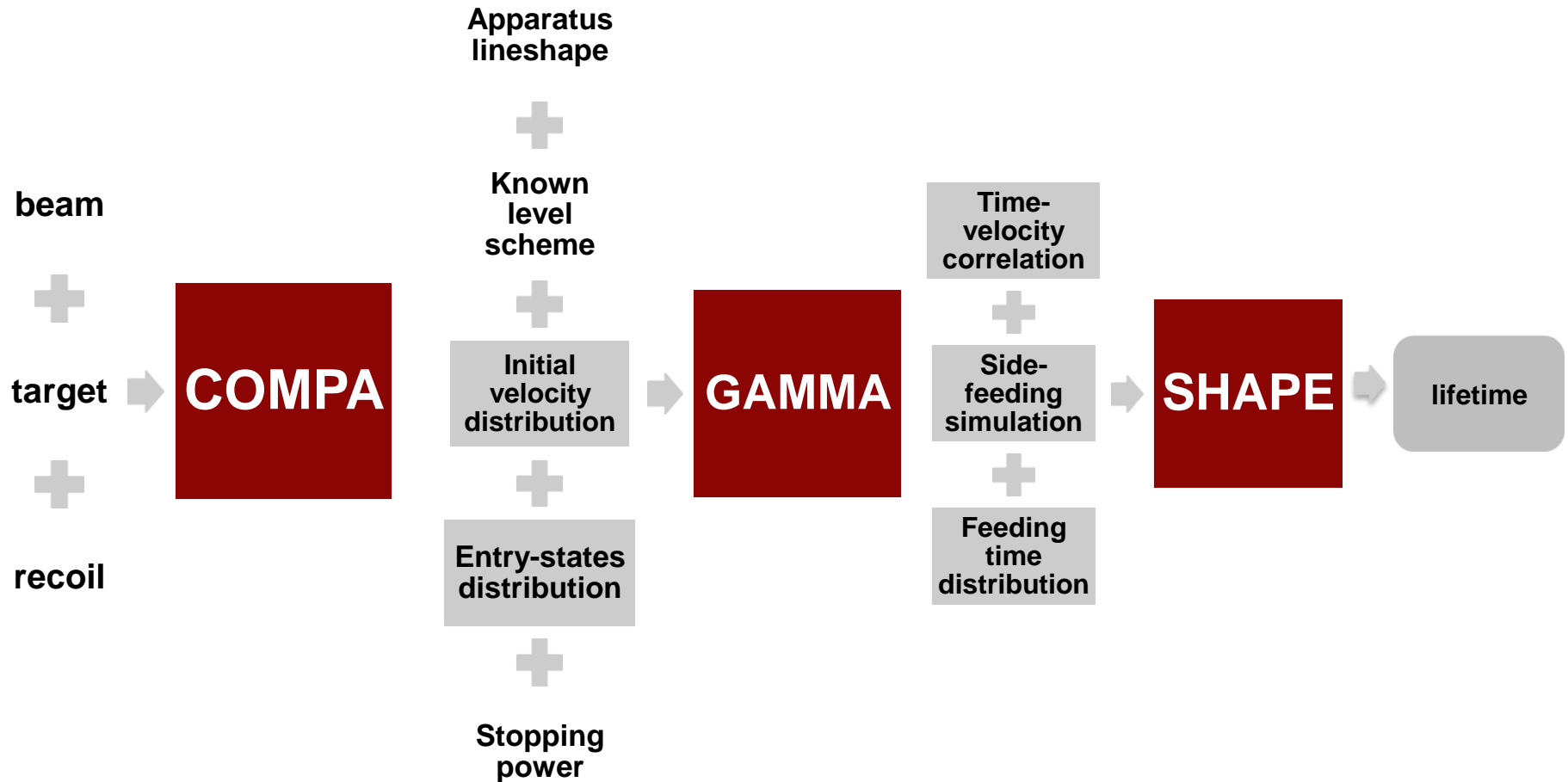
E. G. et al..

**Eur. Phys. Jour. A27, 325-340 (2006)**

# Data analysis process

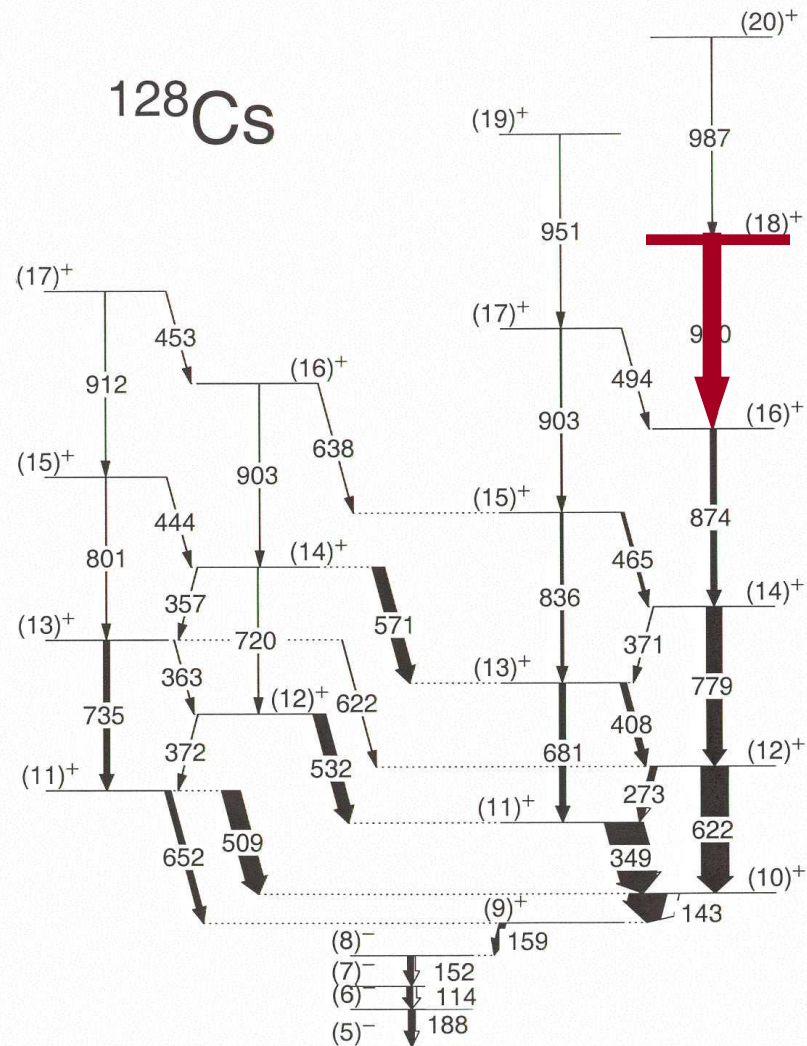
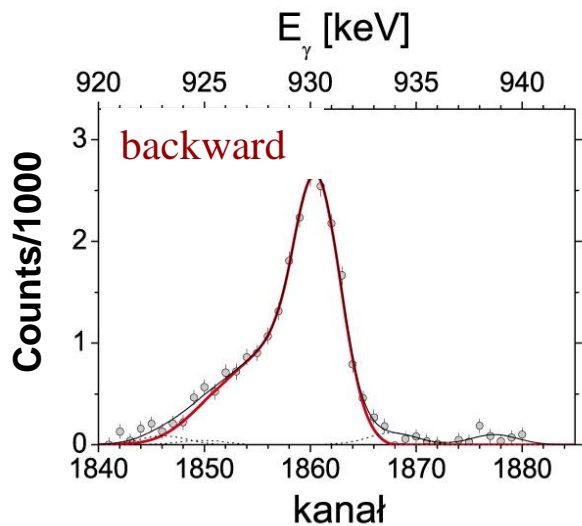
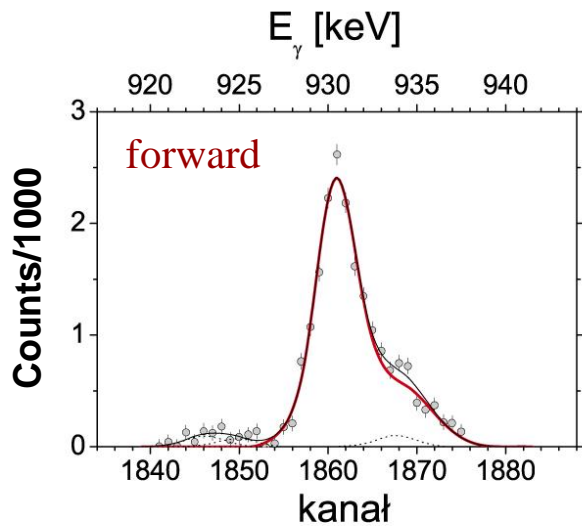
A.A. PASTERNAK - MONTECARLO SIMULATIONS

PIASKI 2007



# Data analysis process

## FIT TO EXPERIMENTAL DATA





# Results

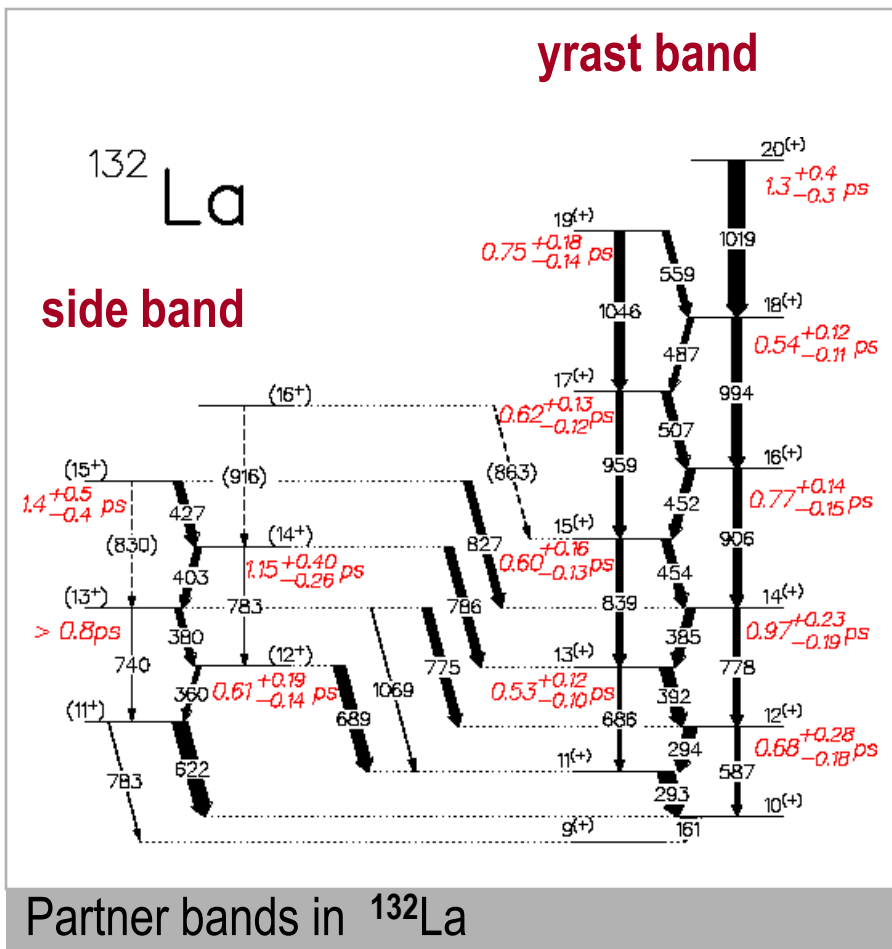
## LIFETIMES OF THE EXCITED STATES OF $^{132}\text{La}$ i $^{128}\text{Cs}$



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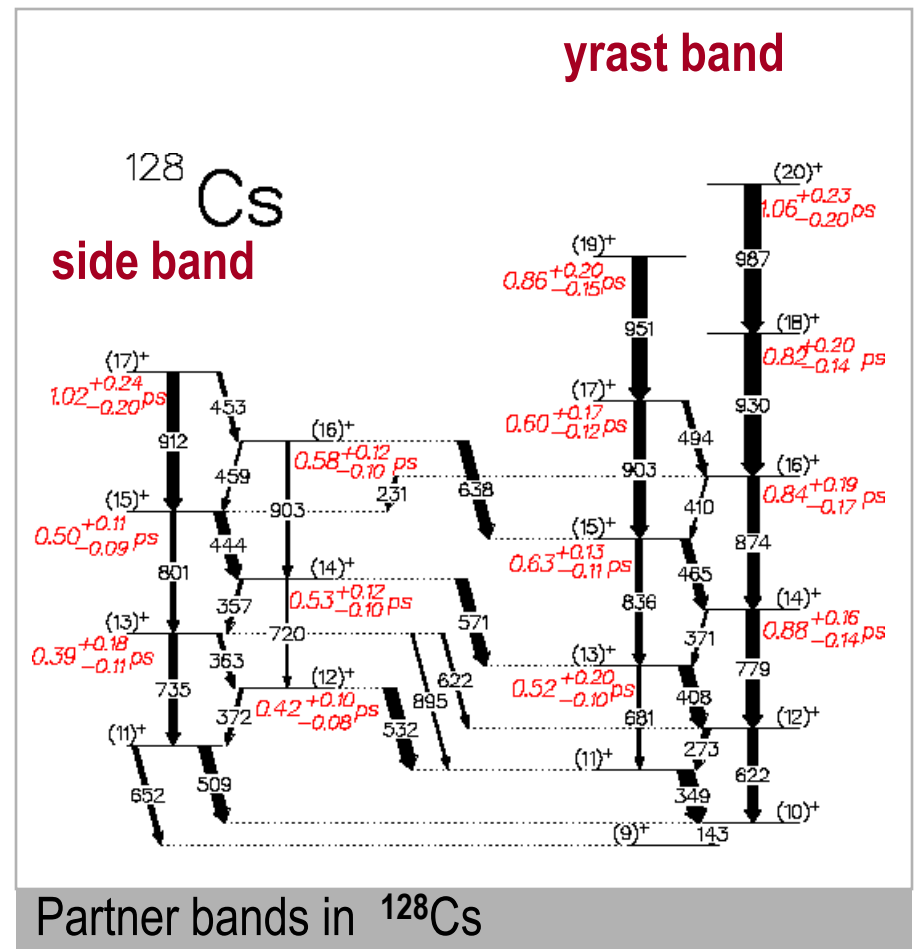
E. G. et al..

Int. Jour. Of Mod. Phys. E13, 243, (2004)



E. G. et al..

Int. Jour. Of Mod. Phys. E14, 347, (2005)



# Lifetime results

CALCULATED IN TO THE GAMMA PROBABILITIES



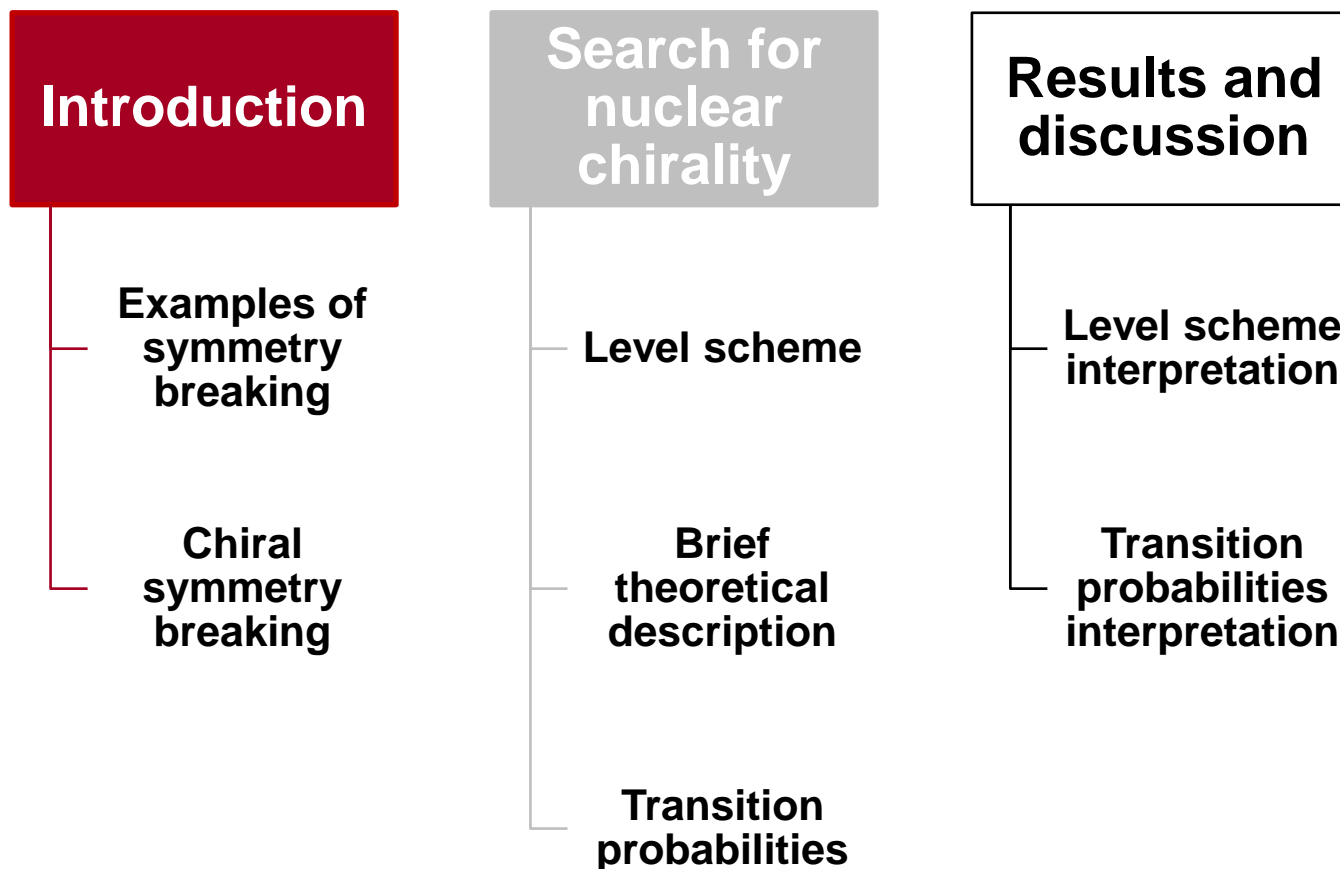
PIASKI 2007

$$B(E2) = \frac{1}{\tau} \cdot \frac{4\pi}{1.2^4} \left(\frac{5}{3}\right)^2 A^{-4/3} \frac{1}{1.22 \cdot 10^{-3}} E^{-5}$$

$$B(M1) = \frac{1}{\tau} \cdot \frac{\pi}{10} \left(\frac{4}{3}\right)^2 \frac{1}{17.6} E^{-3}$$

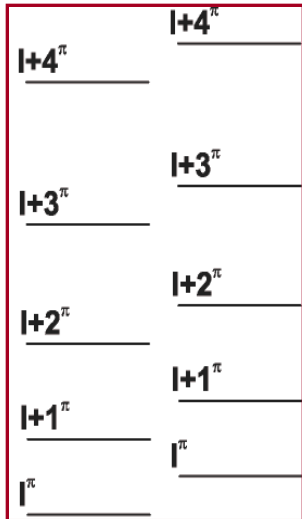
A. Bohr, B. Mottelson

**Nuclear Structure, Benjamin, New York (1969)**



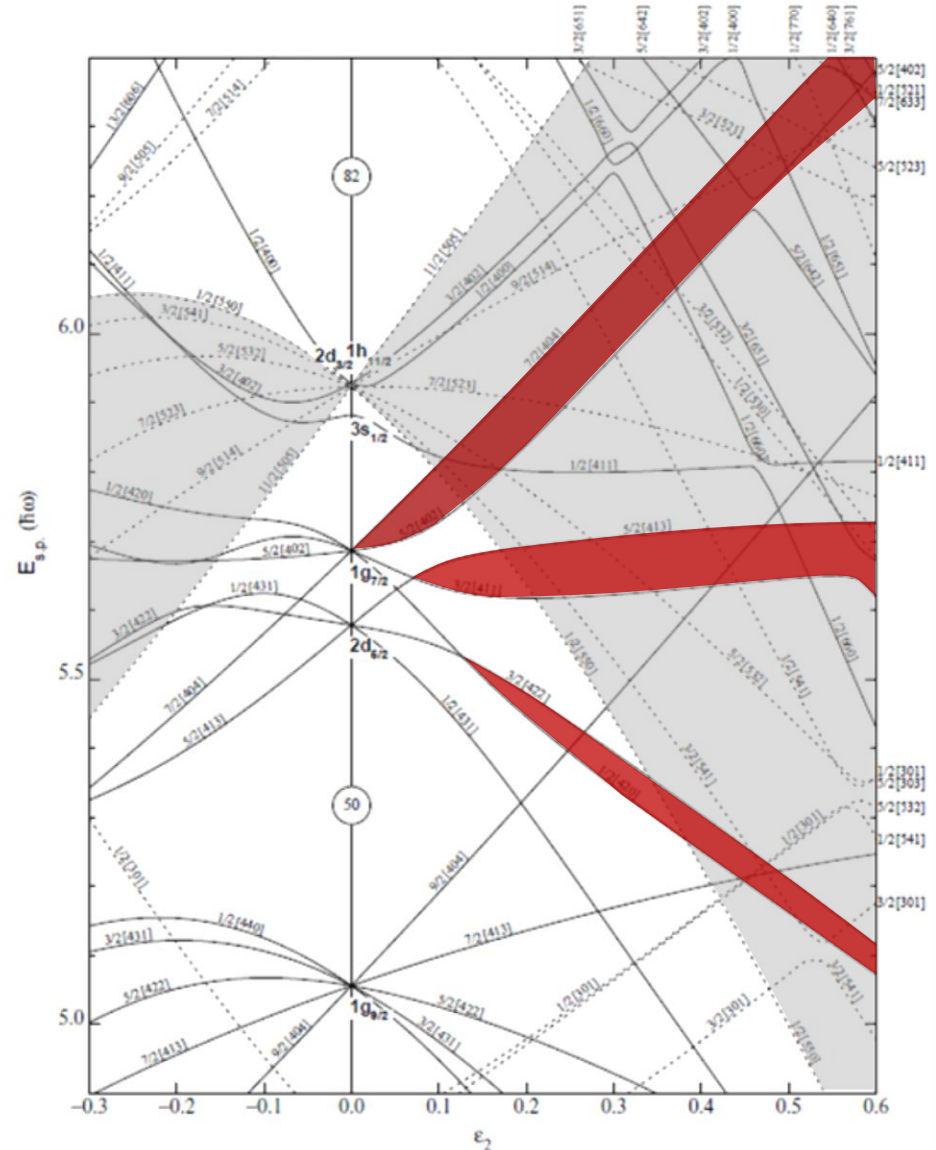
# Pseudo-spin concept

## LEVEL ENERGIES



### pseudo-spin transformation

Unitary transformation  $U$  relabeling physical states into their pseudo counterparts.  
 The transformed hamiltonian  $UHU^\dagger$  has reduced spin-orbit term.

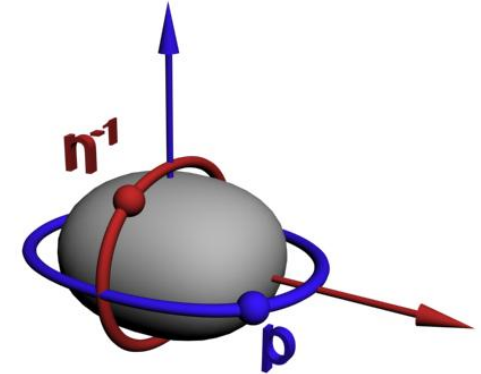


# Signature splitting

## LEVEL ENERGIES



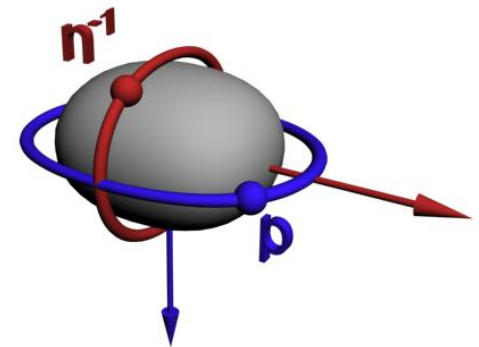
PIASKI 2007



### (non-rotating) Nilsson potential

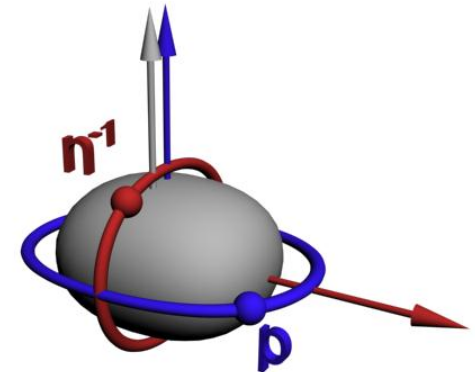
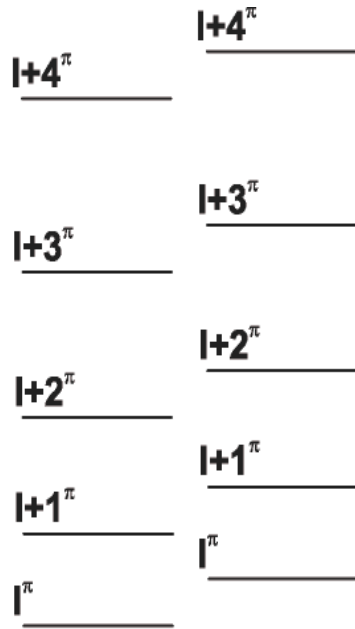
Single particle basis  $|\mathbf{k}, \mathbf{\Omega}_k\rangle$  doubly degenerated.

The  $|\mathbf{k}, \mathbf{\Omega}_k\rangle$  state and time reversed one  $|\mathbf{k}, \bar{\mathbf{\Omega}}_k\rangle$  have the same energy



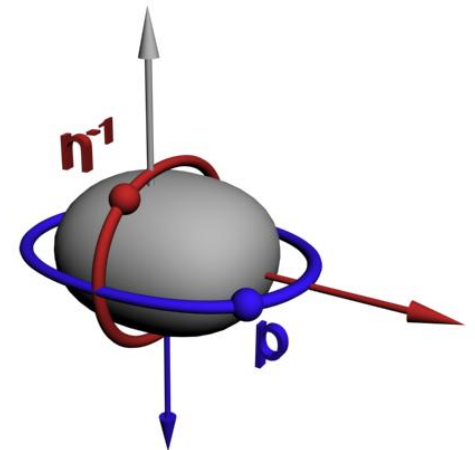
# Signature splitting

## LEVEL ENERGIES



### rotating potential

Coriolis interaction  $\omega l_x$  split the time reversed states.  
 The  $|k, \Omega_k\rangle$  state and time reversed one  $|k, \overline{\Omega}_k\rangle$  have different energies



# Results and discussion

## ELECTROMAGNETIC PROPERTIES OF $^{132}\text{La}$



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### Transition probabilities

$$\frac{B(E2)_{\text{side}}}{B(E2)_{\text{yrast}}} \sim \frac{1}{20}$$

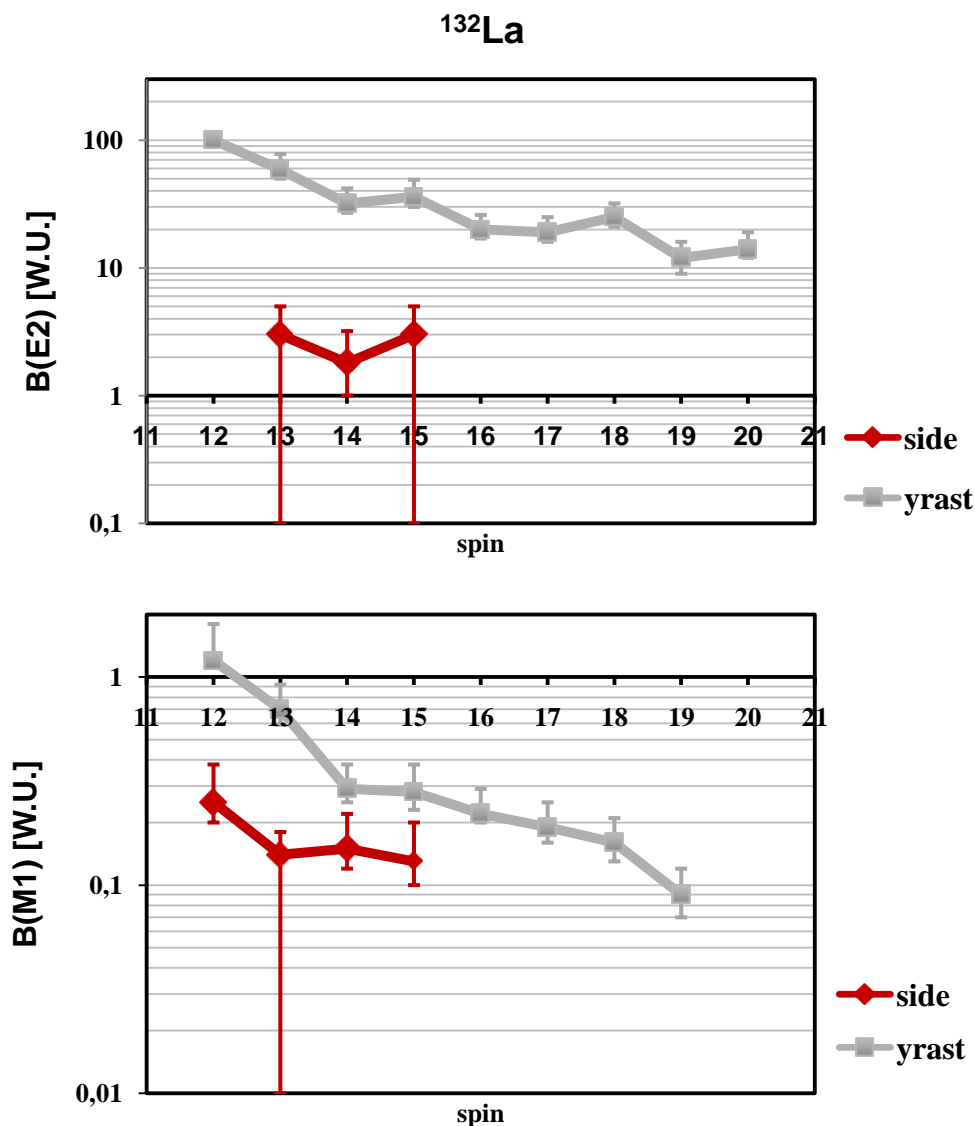
$$\frac{B(M1)_{\text{side}}}{B(M1)_{\text{yrast}}} < \frac{1}{3}$$

### conclusion

The electromagnetic properties of  $^{132}\text{La}$  do not support the chiral symmetry breaking

E. G. et al..

**Phys. Rev. Lett. 97, 172501, (2006)**



# Results and discussion

## ELECTROMAGNETIC PROPERTIES OF $^{128}\text{Cs}$



PIASKI 2007

### Transition probabilities

$$\frac{B(E2)_{\text{side}}}{B(E2)_{\text{yrast}}} \sim 1 \quad \frac{B(M1)_{\text{side}}}{B(M1)_{\text{yrast}}} \sim 1$$

### B(M1) staggering

Predicted for strong limit  
of the chiral symmetry breaking

T. Koike et al..

*Phys. Rev. Lett.* **93**, 172502, (2004)

### conclusion

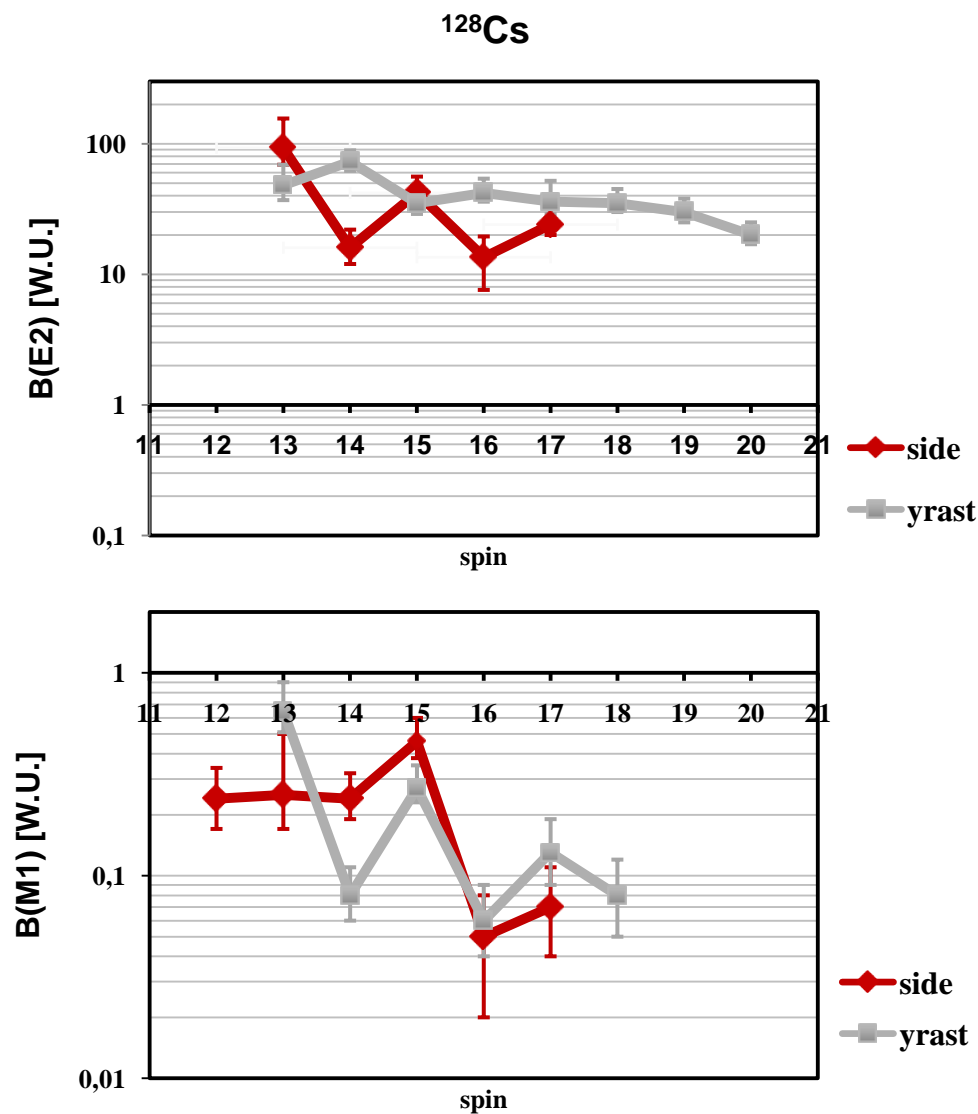
Electromagnetic properties of  $^{128}\text{Cs}$   
confirm the chiral symmetry breaking  
phenomenon

E. G. et al..

*Int. Jour. Of Mod. Phys. E15*, 548, (2006)

E. G. et al..

*Phys. Rev. Lett.* **97**, 172501, (2006)





# Results and discussion

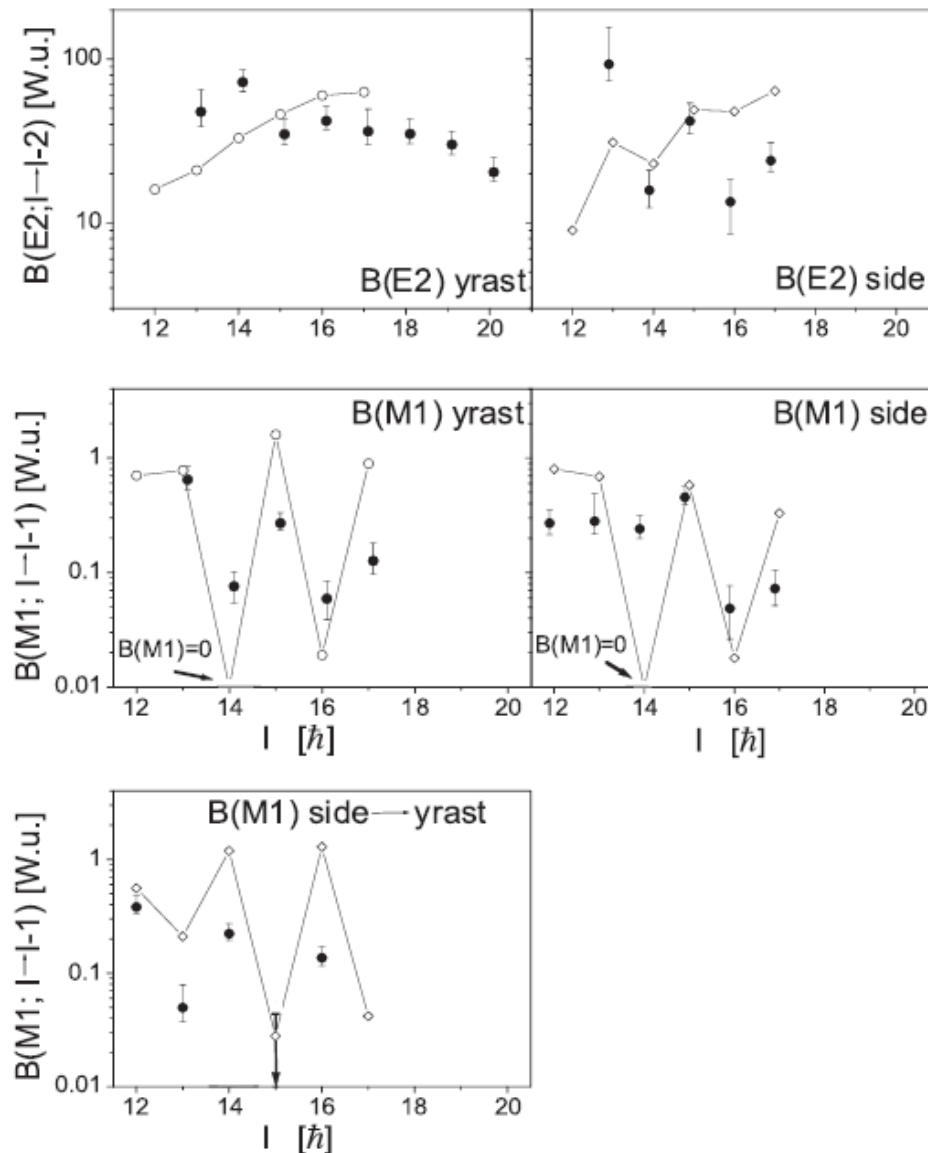
## $^{128}\text{Cs}$ COMPARISON WITH THEORETICAL CALCULATIONS



PIASKI 2007

Calculations done in frame  
of CQPC model

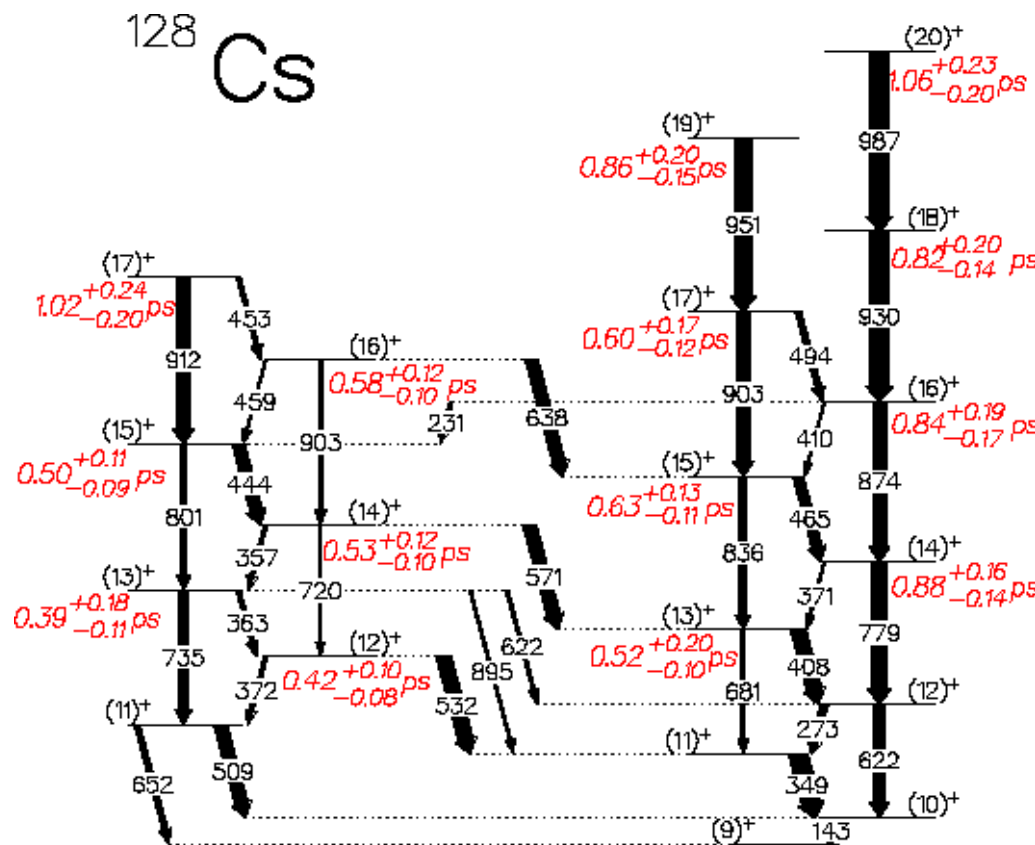
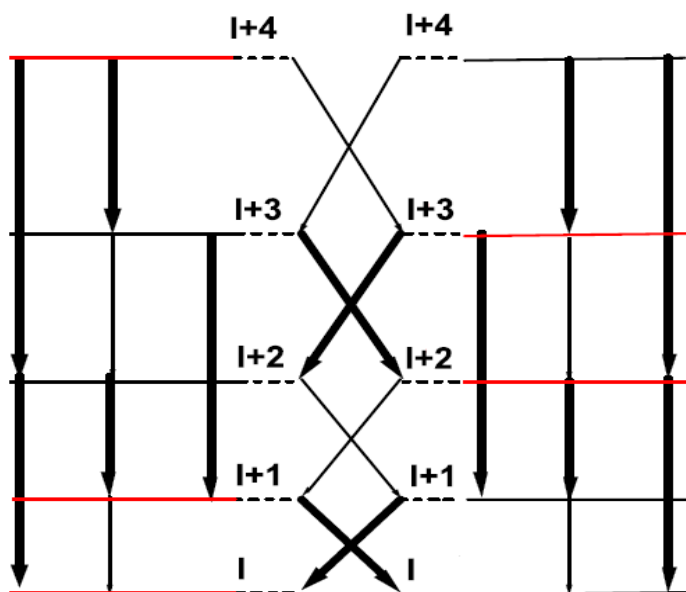
Chiral symmetry breaking in  $^{128}\text{Cs}$   
predicted



T. Koike et al..

Phys. Rev. C67, 044319, (2003)

# Gamma Selection rules





**E. Grodner, I. Zalewska, T. Morek, J. Srebrny, Ch. Droste,  
M. Kowalczyk, J. Mierzejewski, M. Sałata.**

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**S. G. Rohoziński, J. Dobaczewski, P. Olbratowski,  
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R. Kaczarowski, W. Płóciennik, E. Ruchowska, A. Wasilewski**

*The Andrzej Sołtan institute for Nuclear Studies, Otwock-Świerk, Poland*



## research subject

Experimental search for chiral symmetry breaking in atomic nuclei

## method

DSA lifetime measurements

## experiment

Cyclotron U200P , OSIRIS II multidetector array

## results

First lifetime measurements in nuclei supposed of the chirality phenomenon

$^{132}\text{La}$  – chiral symmetry breaking not confirmed

$^{128}\text{Cs}$  – all observables agree with chiral interpretation – first chiral nucleus

$^{126}\text{Cs}$  – probably the second chiral nucleus

## conclusion

Lifetime measurements are necessary for study of the chirality

New dynamic variable (handedness) needed to be introduced for proper quantum mechanical description



Study Center of Electromagnetic Transition Probabilities  
based on Warsaw Array for  $\gamma$ -Ray Spectrometry (WARS)

